

# Bayesian Machine Learning to Predict Short-term Course of Eczema Severity

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# Atopic Dermatitis (AD, eczema)

- Chronic disease characterised by a dry and itchy skin
- Affects 20% of the paediatric population worldwide
- Complex and multi-causal condition
- Large variation in disease severity and responses to treatments
- Unpredictability in daily fluctuations of AD symptoms (flares)



# **Motivation**

- Better control of AD symptoms
- Making accurate prognoses of the currently available therapies
- Understanding the underlying mechanisms of AD pathogenesis

# **Objectives**

 Develop a predictive, mechanism-based model of the short-term evolution of AD severity



# **Double-Switch model**

- System-level understanding of AD
  - Domínguez-Hüttinger et al., JACI, 2017
  - Christodoulides et al., Phil. Trans. Roy. Soc., 2017



# Data

## Langan et al., BJD, 2009

- 60 AD children
- 6 to 9 months
- Daily "bother" & "scratch" score (0-10)
- Corticosteroid treatment



# **Methods**

Bayes' theorem:

 $p(\theta|x) = \frac{p(x|\theta)p(\theta)}{p(x)} \propto p(x|\theta)p(\theta)$ 

- $p(x|\theta)$  specified by a Bayesian network
- Inference performed using Markov Chain Monte-Carlo in Stan



## **Unpublished**

# Equation

 $\mathbf{Model} \begin{cases}
\mathbf{D}_{i}(k+1) \sim \mathcal{N}\left(wDD_{i} \cdot \mathbf{D}_{i}(k) + wDC_{i} \cdot \mathbf{C}_{i}(k) + P_{i}(k) \cdot R_{i}(k) + bias_{D}, \sigma_{D}^{2}\right) \text{ Autoregressive model} \\
\log\left(P_{i}(k+1)\right) \sim \mathcal{N}\left(\log\left(P_{i}(k)\right), \sigma_{P}^{2}\right) \text{ Latent random walk} \\
R_{i}(k) \sim \operatorname{Exp}(1) \text{ Flare distribution} \\
wDC_{i} \sim \mathcal{N}(\mu_{wDC}, \sigma_{wDC}^{2}) \text{ Mixed effects}
\end{cases}$  $D_i(k) \sim \text{Uniform}(0, 10)$  if missing  $wDD_i \sim \text{Uniform}(0, 1)$  $bias_D \sim Cauchy(0, 1)$ Density Distribution WithoutEla **Priors**  $\begin{cases} \mu_{wDC} \sim \text{Cauchy}(0, 1) \\ \sigma_{wDC} \sim \text{Half-Cauchy}(0, 0.5) \\ \sigma_{nf} \sim \text{Half-Cauchy}(0, 0.5) \\ \sigma_{f} \sim \text{Half-Cauchy}(0, 0.5) \end{cases}$ WithElan  $\sigma_{\theta} \sim \text{Half-Cauchy}(0, 0.5)$ Bother

# **Internal validation**



- Ranked Probability Skill Score
  - Accuracy of an ordinal probabilistic forecast
  - 0: guess; 1: perfect





# Trajectories Handler





# **External validation**

## Thomas et al., BJD, 2008

- 334 AD patients
- 16 weeks follow-up
- Only 2% missing values
- Daily "bother" score (0-10)
- Corticosteroid treatment



# Conclusion

- Take-home
  - Developed and validated a mechanism-based model with two datasets
  - Prediction 50 to 60% better than chance

## Next Steps

- Extend the model by including type and quantity of treatment, demographics, genetic mutation, etc.
- Sequential Monte-Carlo for daily predictions

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Appendix

## Imperial College London Double-Switch model



# **Calibration plot**



## **Patient stratification**



## **Prediction SWET**





## **Reconstructed data – Flares data**



Observed - TRUE - FALSE